



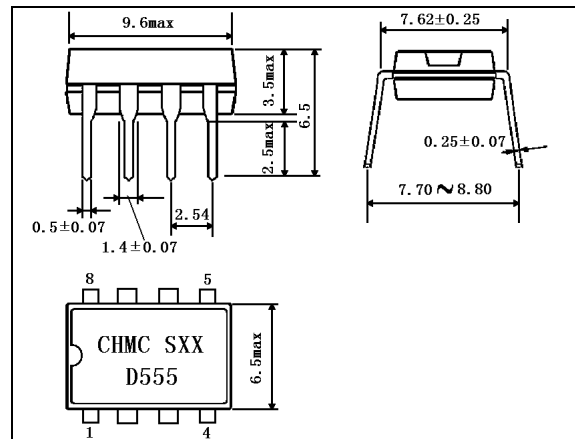
Single Timer

NE555N/NE555D

DESCRIPTION

The NE555N/NE555D is a highly stable controller capable of producing accurate timing pulses. With a monostable operation, the time delay is controlled by one external resistor and one capacitor. With an astable operation, the frequency and duty cycle are accurately controlled by two external resistors and one capacitor.

Outline Drawing



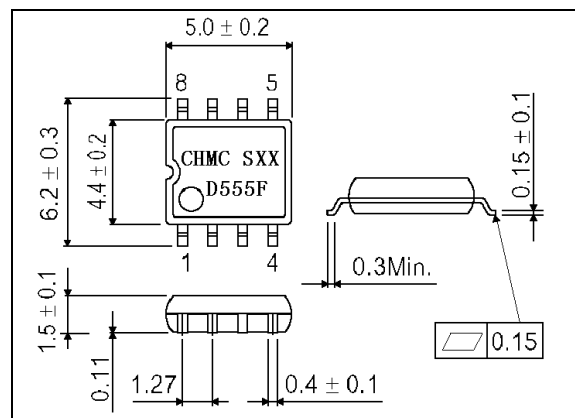
FEATURES

- High Current Drive Capability (200mA)
- Adjustable Duty Cycle
- Temperature Stability of 0.005%/°C
- Timing From [Sec to Hours
- Turn off Time Less Than 2 [Sec

APPLICATIONS

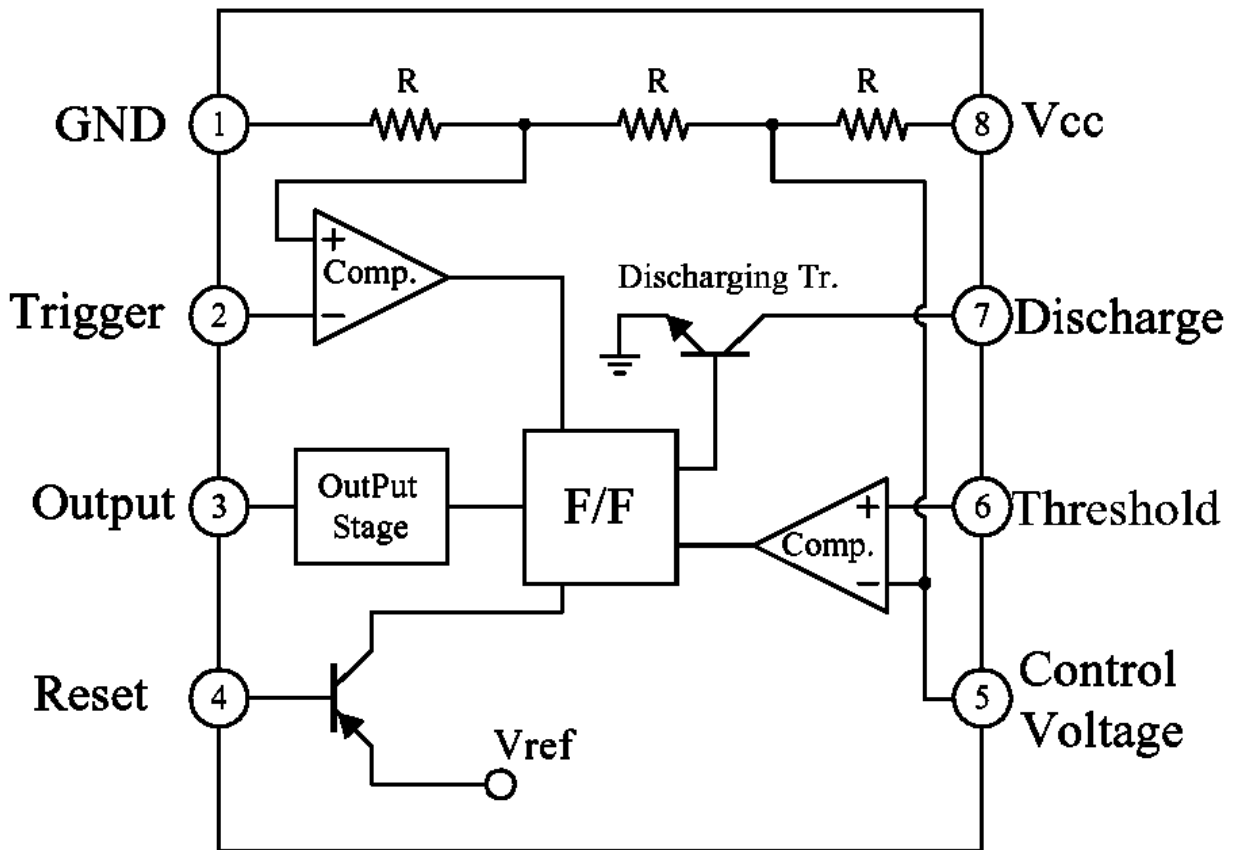
- Precision Timing
- Pulse Generation
- Time Delay Generation
- Sequential Timing

DIP8



SOP8

BLOCK DIAGRAM AND PIN CONNECTION

ABSOLUTE MAXIMUM RATINGS ($T_a=25^\circ\text{C}$)

Characteristic	Symbol	Value	Unit
Power Supply voltage	Vcc	16	V
Power Dissipation	Pd	600	mW
Operating temperature	Topr	-0~+70	$^\circ\text{C}$
Storage temperature	Tstg	-65~+150	$^\circ\text{C}$
Lead Temperature (Soldering 10sec)	T _{LEAD}	300	$^\circ\text{C}$

ELECTRICAL CHARACTERISTICS(Unless otherwise specified: $V_{CC}=5\sim 15V$, $T_a=25^\circ C$)

Characteristics	Symbol	Test conditions	Min	Typ	Max	Unit
Supply Voltage	V_{CC}		4.5		16	V
Supply current(low stable)*	I_{CC}	$V_{CC}=5V, R_L=\infty$		3	6	mA
		$V_{CC}=15V, R_L=\infty$		7.5	15	
Timing Error(Monostable) Initial Accuracy ** Drift with Temperature**** Drift with Supply Volatge****	ACCUR $\Delta t/\Delta T$ $\Delta t/\Delta V_{CC}$	$R_A=1k\Omega$ to $100k\Omega$ $C=0.1\mu F$		1.0 50 0.1	3.0 0.5	% ppm/ $^\circ C$ %/V
Timing Error(Astable) Initial Accuracy ** Drift with Temperature**** Drift with Supply Volatge****	ACCUR $\Delta t/\Delta T$ $\Delta t/\Delta V_{CC}$	$R_A=1k\Omega$ to $100k\Omega$ $C=0.1\mu F$		2.25 150 0.3		% ppm/ $^\circ C$ %/V
Control Voltage	V_C	$V_{CC}=15V$	9.0	10.0	11.0	V
		$V_{CC}=5V$	2.6	3.33	4.0	
Threshold Voltage	V_{TH}	$V_{CC}=15V$		10.0		V
		$V_{CC}=5V$		3.33		
Threshold Current***	I_{TH}			0.1	0.25	μA
Trigger Voltage	V_{TR}	$V_{CC}=5V$	1.1	1.67	2.2	V
		$V_{CC}=15V$	4.5	5	5.6	
Trigger Current	I_{TR}	$V_{TR}=0V$		0.01	2.0	μA
Reset Voltage	V_{RST}		0.4	0.7	1.0	V
Reset Current	I_{RST}			0.1	0.4	mA
Low Output Voltage	V_{OL}	$V_{CC}=15V$ $I_{SINK}=10mA$ $I_{SINK}=50mA$		0.06 0.3	0.25 0.75	V
		$V_{CC}=5V$ $I_{SINK}=5mA$		0.05	0.35	
High Output Voltage	V_{OH}	$V_{CC}=15V$ $I_{SOURCE}=200mA$ $I_{SOURCE}=100mA$	12.75	12.5 13.3		V
		$V_{CC}=5V$ $I_{SOURCE}=100mA$	2.75	3.3		
Rise Time of Output ****	tR			100		ns
Fall Time of Output****	tF			100		ns
Discharge Leakage Current	I_{LKG}			20	100	nA

* When the output is high, the supply current is typically 1mA less than at $V_{CC} = 5V$.** Tested at $V_{CC} = 5.0V$ and $V_{CC} = 15V$.*** This will determine the maximum value of $R_A + R_B$ for 15V operation, the max. total $R = 20M\Omega$, and for 5V operation, the max. total $R = 6.7M\Omega$.

****These parameters, although guaranteed, are not 100% tested in production.

APPLICATION INFORMATION

Table below is the basic operating table of D555/D555F timer

Threshold Voltage (Vth)(PIN6)	Trigger Voltage (Vtr)(PIN2)	Reset(PIN4)	Output(PIN3)	Discharging Tr. (PIN7)
Don't care	Don't care	Low	Low	ON
$V_{th} > 2V_{cc}/3$	$V_{th} > 2V_{cc}/3$	High	Low	ON
$V_{cc}/3 < V_{th} < 2V_{cc}/3$	$V_{cc}/3 < V_{th} < 2V_{cc}/3$	High		
$V_{th} < V_{cc}/3$	$V_{th} < V_{cc}/3$	High	High	OFF

When the low signal input is applied to the reset terminal, the timer output remains low regardless of the threshold voltage or the trigger voltage. Only when the high signal is applied to the reset terminal, the timer's output changes according to threshold voltage and trigger voltage.

When the threshold voltage exceeds 2/3 of the supply voltage while the timer output is high, the timer's internal discharge Tr. turns on, lowering the threshold voltage to below 1/3 of the supply voltage. During this time, the timer output is maintained low. Later, if a low signal is applied to the trigger voltage so that it becomes 1/3 of the supply voltage, the timer's internal discharge Tr. turns off, increasing the threshold voltage and driving the timer output again at high.

1、 Monostable Operation

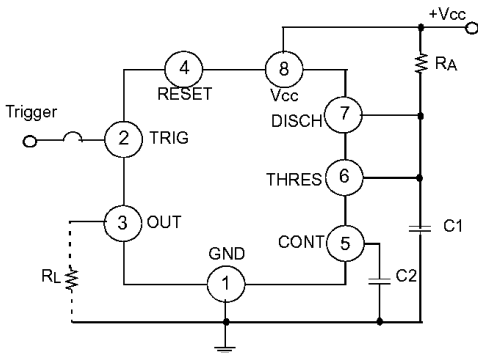


Figure 1. Monoatable Circuit

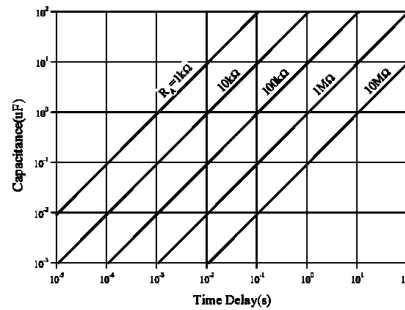


Figure 2. Resistance and Capacitance vs. Time delay(td)

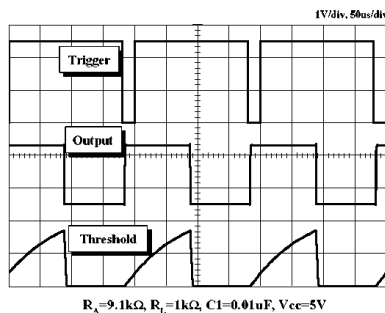


Figure 3. Waveforms of Monostable Operation

Figure 1 illustrates a monostable circuit. In this mode, the timer generates a fixed pulse whenever the trigger voltage falls below $V_{cc}/3$. When the trigger pulse voltage applied to the #2 pin falls below $V_{cc}/3$ while the timer output is low, the timer's internal flip-flop turns the discharging $Tr.$ off and causes the timer output to become high by charging the external capacitor $C1$ and setting the flip-flop output at the same time.

The voltage across the external capacitor $C1$, V_{C1} increases exponentially with the time constant $t=R_A*C$ and reaches $2V_{cc}/3$ at $t_d=1.1R_A*C$. Hence, capacitor $C1$ is charged through resistor R_A . The greater the time constant $R_A C$, the longer it takes for the V_{C1} to reach $2V_{cc}/3$. In other words, the time constant $R_A C$ controls the output pulse width.

When the applied voltage to the capacitor $C1$ reaches $2V_{cc}/3$, the comparator on the trigger terminal resets the flip-flop, turning the discharging $Tr.$ on. At this time, $C1$ begins to discharge and the timer output converts to low.

In this way, the timer operating in the monostable repeats the above process. Figure 2 shows the time constant relationship based on R_A and C . Figure 3 shows the general waveforms during the monostable operation.

It must be noted that, for a normal operation, the trigger pulse voltage needs to maintain a minimum of $V_{cc}/3$ before the timer output turns low. That is, although the output remains unaffected even if a different trigger pulse is applied while the output is high, it may be affected and the waveform does not operate properly if the trigger pulse voltage at the end of the output pulse remains at below $V_{cc}/3$. Figure 4 shows such a timer output abnormality.

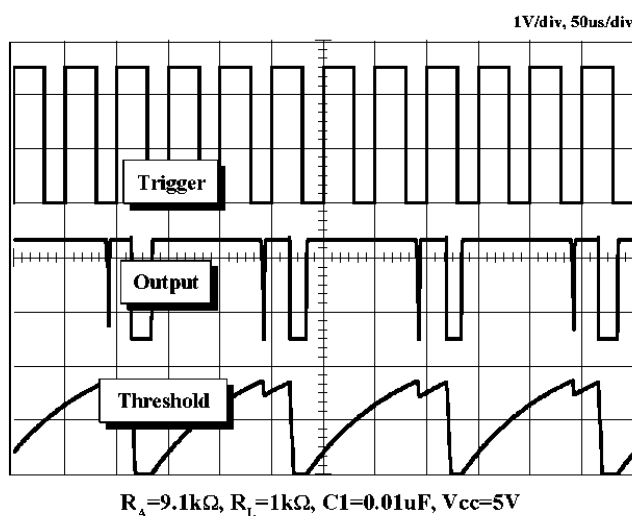


Figure 4. Waveforms of Monostable Operation (abnormal)

2、 Astable Operation

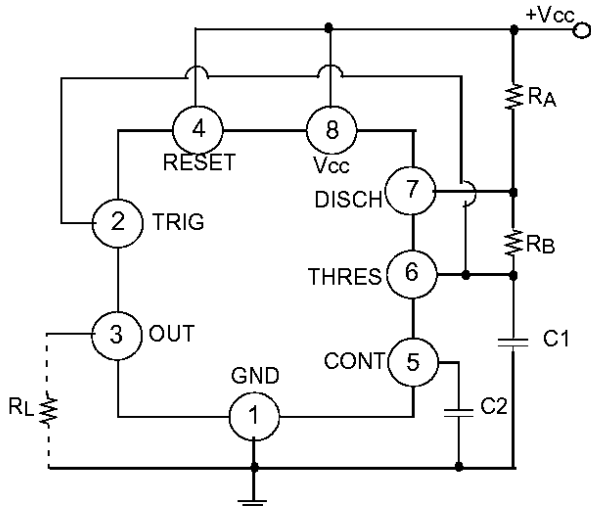


Figure 5. Astable Circuit

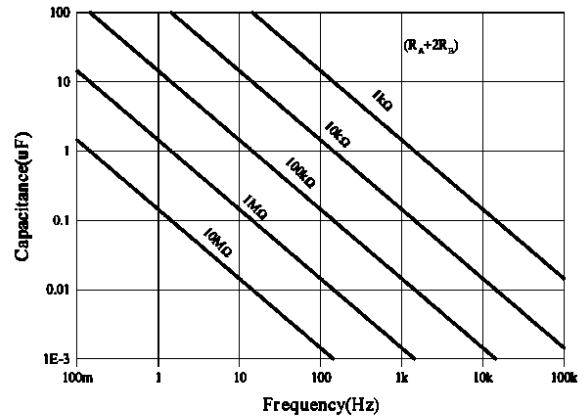
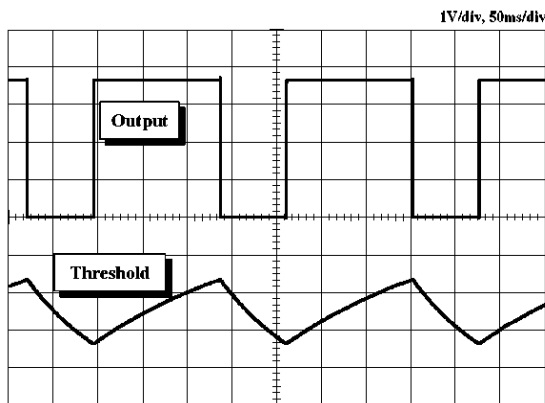


Figure 6. Capacitance and Resistance vs. Frequency



$R_A=1k\Omega, R_B=1k\Omega, R_L=1k\Omega, C1=1\mu F, V_{cc}=5V$

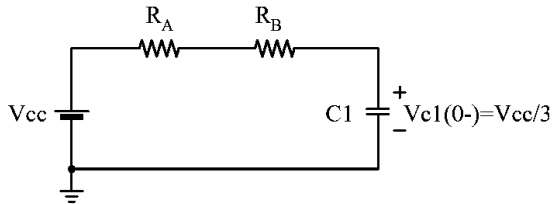
Figure 7. Waveforms of Astable Operation

An astable timer operation is achieved by adding resistor R_B to Figure 1 and configuring as shown on Figure 5. In the astable operation, the trigger terminal and the threshold terminal are connected so that a self-trigger is formed, operating as a multi vibrator. When the timer output is high, its internal discharging Tr turns off and the V_{C1} increases by exponential function with the time constant $(R_A+R_B)*C$.

When the V_{C1} , or the threshold voltage, reaches $2V_{cc}/3$, the comparator output on the trigger terminal becomes high, resetting the F/F and causing the timer output to become low. This in turn turns on the discharging Tr and the $C1$ discharges through the discharging channel formed by R_B and the discharging Tr . When the V_{C1} falls below $V_{cc}/3$, the

comparator output on the trigger terminal becomes high and the timer output becomes high again. The discharging Tr. turns off and the V_{C1} rises again.

In the above process, the section where the timer output is high is the time it takes for the V_{C1} to rise from $V_{CC}/3$ to $2V_{CC}/3$, and the section where the timer output is low is the time it takes for the V_{C1} to drop from $2V_{CC}/3$ to $V_{CC}/3$. When timer output is high, the equivalent circuit for charging capacitor C1 is as follows:



$$C_1 \frac{dv_{c1}}{dt} = \frac{V_{CC} - V(0-)}{R_A + R_B} \quad (1)$$

$$V_{C1}(0+) = V_{CC}/3 \quad (2)$$

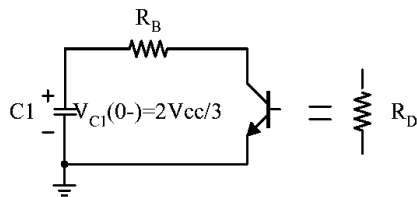
$$V_{C1}(t) = V_{CC} \left(1 - \frac{2}{3} e^{-\left(\frac{t}{(R_A + R_B)C_1}\right)} \right) \quad (3)$$

Since the duration of the timer output high state (t_H) is the amount of time it takes for the $V_{C1}(t)$ to reach $2V_{CC}/3$,

$$V_{C1}(t) = \frac{2}{3}V_{CC} = V_{CC} \left(1 - \frac{2}{3} e^{-\left(\frac{t_H}{(R_A + R_B)C_1}\right)} \right) \quad (4)$$

$$t_H = C_1(R_A + R_B) \ln 2 = 0.693(R_A + R_B)C_1 \quad (5)$$

The equivalent circuit for discharging capacitor C1, when timer output is low is, as follows:



$$C_1 \frac{dv_{C1}}{dt} + \frac{1}{R_A + R_B} V_{C1} = 0 \quad (6)$$

$$V_{C1}(t) = \frac{2}{3}V_{CC} e^{-\left(\frac{t}{(R_A + R_D)C_1}\right)} \quad (7)$$

Since the duration of the timer output low state (t_L) is the amount of time it takes for the $V_{C1}(t)$ to reach $V_{CC}/3$,

$$\frac{1}{3}V_{CC} = \frac{2}{3}V_{CC} e^{-\frac{t_L}{(R_A+R_D)C_1}} \quad (8)$$

$$t_L = C_1(R_B + R_D)\ln 2 = 0.693(R_B + R_D)C_1 \quad (9)$$

Since R_D is normally $R_B \gg R_D$ although related to the size of discharging $Tr.$,

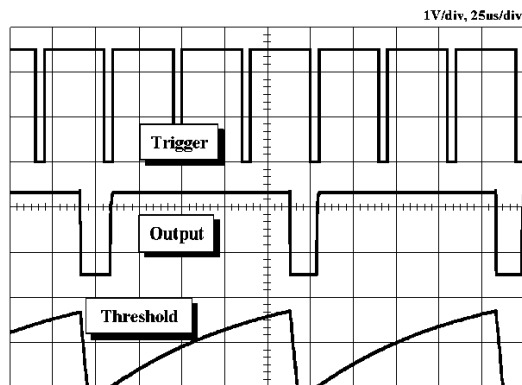
$$t_L = 0.693R_B C_1 \quad (10)$$

Consequently, if the timer operates in astable, the period is the same with ' $T = t_H + t_L = 0.693(R_A + R_B)C_1 + 0.693R_B C_1 = 0.693(R_A + 2R_B)C_1$ ' because the period is the sum of the charge time and discharge time. And since frequency is the reciprocal of the period, the following applies.

$$\text{frequency, } f = \frac{1}{T} = \frac{1.44}{(R_A + 2R_B)C_1} \quad (11)$$

3、 Frequency divider

By adjusting the length of the timing cycle, the basic circuit of Figure 1 can be made to operate as a frequency divider. Figure 8. illustrates a divide-by-three circuit that makes use of the fact that retriggering cannot occur during the timing cycle.



$$R_A = 9.1k\Omega, R_L = 1k\Omega, C_1 = 0.01\mu F, V_{CC} = 5V$$

Figure 8. Waveforms of Frequency Divider Operation

4、 Pulse Width Modulation

The timer output waveform may be changed by modulating the control voltage applied to the timer's pin 5 and changing the reference of the timer's internal comparators. Figure 9 modulation circuit. illustrates the pulse width

When the continuous trigger pulse train is applied in the monostable mode, the timer output width is modulated according to the signal applied to the control terminal. Sine wave as well as other waveforms may be applied as a signal to the control terminal. Figure 10 shows the example of pulse width modulation waveform.

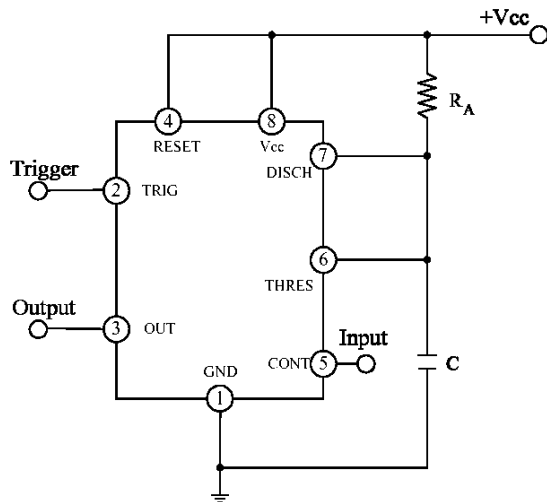


Figure 9. Circuit for Pulse Width Modulation

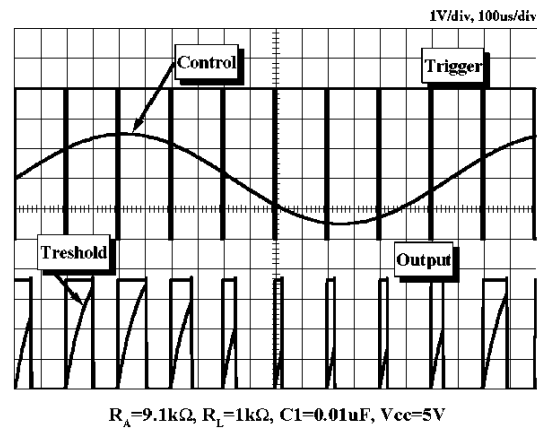


Figure 10. Waveforms of Pulse Width Modulation

5. Pulse Position Modulation

If the modulating signal is applied to the control terminal while the timer is connected for the astable operation as in Figure 11, the timer becomes a pulse position modulator.

In the pulse position modulator, the reference of the timer's internal comparators is modulated which in turn modulates the timer output according to the modulation signal applied to the control terminal.

Figure 12 illustrates a sine wave for modulation signal and the resulting output pulse position modulation : however, any wave shape could be used.

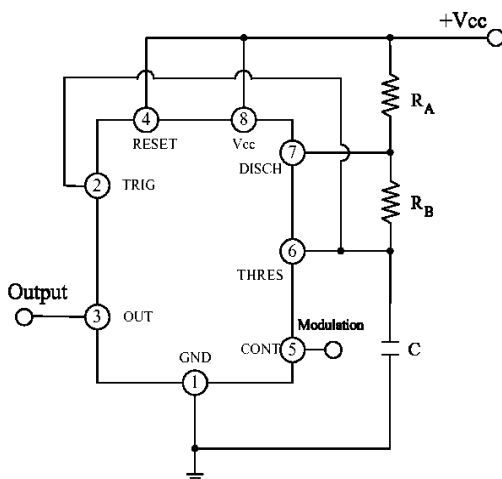


Figure 11. Circuit for Pulse Position Modulation

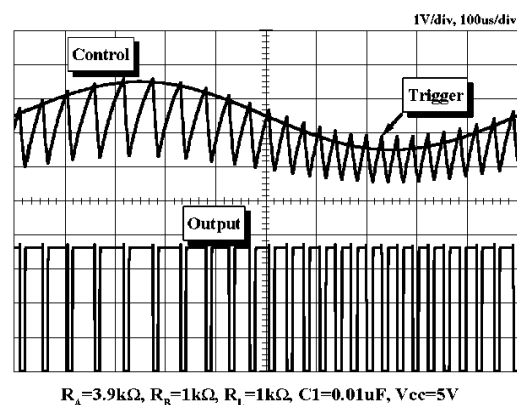


Figure 12. Waveforms of pulse position modulation

6. Linear Ramp

When the pull-up resistor R_A in the monostable circuit shown in Figure 1 is replaced with constant current source, the V_{C1} increases linearly, generating a linear ramp. Figure 13

shows the linear ramp generating circuit and Figure 14 illustrates the generated linear ramp waveforms.

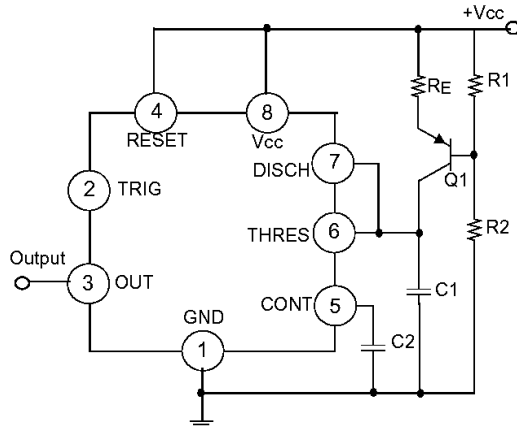


Figure 13. Circuit for Linear Ramp

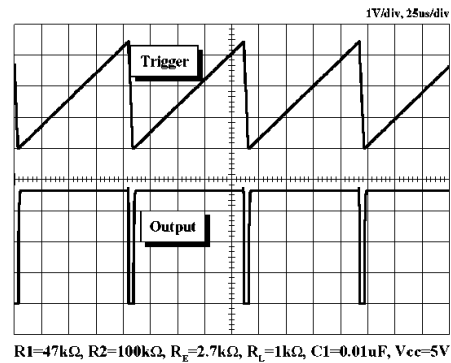


Figure 14. Waveforms of Linear Ramp

In Figure 13, current source is created by PNP transistor Q1 and resistor R1, R2, and RE.

$$I_C = \frac{V_{CC} - V_E}{R_E} \quad (12)$$

Here, V_E is

$$V_E = V_{BE} + \frac{R_2}{R_1 + R_2} V_{CC} \quad (13)$$

For example, if $V_{CC}=15V$, $R_E=20k\Omega$, $R_1=5k\Omega$, $R_2=10k\Omega$, and $V_{BE}=0.7V$,

$$V_E = 0.7V + 10V = 10.7V$$

$$I_C = (15 - 10.7) / 20k = 0.215mA$$

When the trigger starts in a timer configured as shown in Figure 13, the current flowing through capacitor C1 becomes a constant current generated by PNP transistor and resistors.

Hence, the VC is a linear ramp function as shown in Figure 14. The gradient S of the linear ramp function is defined as follows:

$$S = \frac{V_{p-p}}{T} \quad (14)$$

Here the V_{p-p} is the peak-to-peak voltage.

If the electric charge amount accumulated in the capacitor is divided by the capacitance, the V_C comes out as follows:

$$V = Q/C \quad (15)$$

The above equation divided on both sides by T gives us

$$\frac{V}{T} = \frac{Q/T}{C} \quad (16)$$

and may be simplified into the following equation.

$$S=I/C \text{ (17)}$$

In other words, the gradient of the linear ramp function appearing across the capacitor can be obtained by using the constant current flowing through the capacitor.

If the constant current flow through the capacitor is 0.215mA and the capacitance is 0.02 μ F, the gradient of the ramp function at both ends of the capacitor is $S = 0.215\text{m}/0.022 \mu = 9.77\text{V}/\text{ms}$.
